## Information-theoretic idealism

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Figur 1.

## Summary

## I argue that our "standard" view of the physical world may be wrone. <br> only approximately true.

To solve some important foundational and practical problems, it helps to take a (sort of) idealist approach.

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To solve some important foundational and practical problems, it helps to take a (sort of) idealist approach.

A diverse group of views that regard "mind" as primary, not matter.

Here: "mind"="pattern": mathematical, information-theoretic notion.
Irrelevant: consciousness, qualia, what we believe, want or feel.

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## Outline

1. Conceptual puzzles
... that challenge the standard view.
2. Sketch of an idealist (toy) theory
... "self" fundamental, external world emergent.
3. Objective reality as a emergent approximation ... probabilistic zombies, and other surprises.
4. Example: dissolution of the Boltzmann brain problem

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## 1. Conceptual puzzles

## Standard view:

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Figur 1.

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Figur 1.
"self pattern" (what "I am right now", including observations and memory)

Standard view:

follows from

Laws of physics apply here
state (and evolution) of the physical world

## 1. Conceptual puzzles



Figur 1.

follows from
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Standard methodology: to predict what happens to me next, I use physics to predict the evolution of the world, and then locate myself inside it.

- Parfit's Teletransportation Paradox
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Assume some ("combinatorially large") universe with a large number of "brains" with false memories fluctuating into existence.

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Assume some ("combinatorially large") universe with a large number of "brains" with false memories fluctuating into existence. Excludes some cosmological models?


## - Wigner's Friend

## nature <br> ${ }_{\text {physer }}$ physics

## ARTICLES

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D Check for updates

## A strong no-go theorem on the Wigner's friend paradox

Kok-Wei Bong ${ }^{1,4}$, Aníbal Utreras-Alarcónn,1,4, Farzad Ghafari ${ }^{\circ}$ ¹, Yeong-Cherng Liang ${ }^{2}$, 

Does quantum theory apply at all scales, including that of observers? New light on this fundamental question has recently been shed through a resurgence of interest in the long-standing Wigner's friend paradox. This is a thought experiment addressing the quantum measurement problem-the difficulty of reconciling the (unitary, deterministic) evolution of isolated systems and the (non-unitary, probabilistic) state update after a measurement. Here, by building on a scenario with two separated but entangled friends introduced by Brukner, we prove that if quantum evolution is controllable on the scale of an observer, then one of 'No-Superdeterminism', 'Locality' or 'Absoluteness of Observed Events'-that every observed event exists absolutely, not relatively-must be false. We show that although the violation of Bell-type inequalities in such scenarios is not in general sufficient to demonstrate the contradiction between those three assumptions, new inequalities can be derived, in a theory-independent manner, that are violated by quantum correlations. This is demonstrated in a proof-of-principle experiment where a photon's path is deemed an observer. We discuss how this new theorem places strictly stronger constraints on physical reality than Bell's theorem.


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nature
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## "Absoluteness of observed events"?



In a quantum world, it is unclear how to use the "standard methodology" without running into paradoxes.

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- Wigner's Friend
- The Boltzmann Brain Problem


## "What will I see next?"

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- Wigner's Friend
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exotic regime


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Independent motivation to consider "what will I see next?"
a more fruitful / natural question to ask than "what is the case?"

- Simulating agents on a computer
- Parfit's Teletransportation Paradox
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## philosophy of mind?

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## Wanted: a universal answer to "what will I see next?"

- Simulating agents on a computer
- Parfit's Teletransportation Paradox
- Wigner's Friend
- The Boltzmann Brain Problem


## A unified approach

Laboratory experiments


- Astronomical observations
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A unified approach by reversing the standard view


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"self pattern" (what "I am right now", including observations and memory)

follows from
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"self pattern" (what "I am right now", including observations and memory)

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Problem: methodologically inadequate (recall the exotic puzzles) and conceptually hard to reconcile with quantum theory.

## Reversing the standard view



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\mathbf{P}(y \mid x)
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$x$ : self pattern now
$y$ : self pattern next
Universal probability

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Standard view as an approximation: In the long run, this will appear as if



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Prob. that next bit is $b$ if now in state $x$.

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Semimeasure: $\mu(0 \mid x)+\mu(1 \mid x) \leq 1$.
Enumerable semimeasure: there exists an algorithm that, on input $x$ and $n$, computes an approx. $\mu_{n}(x)$ with $\lim _{n \rightarrow \infty} \mu_{n}(x)=\mu(x)$ and $\mu_{1} \leq \mu_{2} \leq \ldots$

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normalize it $\longrightarrow$ universal probability $\mathbf{P}$.

Application elsewhere (not in my approach):

- Gives higher probability to simpler bit strings (i.e. generated by shorter programs). Occam's razor.
- Uncomputable, but in principle useful for induction $\longrightarrow$ "Universal Artificial Intelligence"
- Solomonoff induction: yields provably correct predictions asymptotically (quickly) in all computable environments.



## Postulates of an (incomplete) idealist theory

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(Incomplete theory, because "forgetting" not yet treated.)

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Theorem. In the limit of a large number $n=\ell(x)$ of self-pattern bits,

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Proof. Physical versions of the Church-Turing thesis $\Rightarrow \mathbf{P}_{\text {phys }}$ is in principle computable. Thus, due to Solomonoff's universal induction, convergence above happens with $\mathbf{P}_{\mathrm{phys}}$-prob. 1.

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Interpretation. If the self-pattern contains enough information on the (for me ) relevant aspects of the physical world, then universal probability will "detect" these regularities (Solomonoff induction) and assign high probability to the fact that these regularities will remain present. Hence, physical and universal probabilities will agree in their predictions.

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As we will now show, universal probability predicts an "external world".

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But why should I get there in the first place if universal probability is all there is, and no external world is assumed to begin with?

As we will now show, universal probability predicts an "external world".

This does not make it a "theory of everything" because it cannot predict most properties of that world.

## Candidate external worlds

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Def.: A computational ontological model for $\mu$ is a stochastic process
("world" W) that can in principle be run on a probabilistic Turing machine, together with a computable bit-string-valued random variable $f$ ("locates / reads the self-pattern from world W") yielding self-patterns evolving as described by $\mu$.

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Computational ontological models
Basically, this formalizes the "standard view".


## An emergent notion of external world


$\approx \mu W(y \mid x)$

Theorem: Before agent holds any information (or after loosing all info), there is universal probability $\mathbf{P}$ of at least

$$
2^{-\mathrm{K}(W)}
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that ontological model ("world") $W$ is seen in the long run, i.e. that $\left|\mathbf{P}\left(y \mid x_{1}, \ldots, x_{n}\right)-\mu_{W}\left(y \mid x_{1}, \ldots, x_{n}\right)\right| \longrightarrow 0$.

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actual chances
according to univ. probability
chances as determined by world $W$.

## An emergent notion of external world

Properties of this (probabilistic) world W:

- $K(W)$ probably small: W has simple "laws of nature".
- Actual realization seen by agent typically complex (compare: coin toss).
- In particular, $\mu_{W}$ is probabilistically computable (recall: $\mathbf{P}$ isn't!)
- Such processes typically start in a state of low entropy. Big bang?


## Broadly consistent with what we observe!

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## An emergent notion of objective reality

Alice $\begin{gathered}\text {... goes through } \\ \text { patterns that look }\end{gathered}$
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Suppose in A-world, there is another bit-string valued random variable, $\mathbf{B}$.
Does B faithfully represent some first-person perspective?

## An emergent notion of objective reality



Alice ... goes through patterns that look like...


Suppose in A-world, there is another bit-string valued random variable, B.
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## Two probability distributions:

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Example: If Alice has a 99\% chance of seeing the sun rise tomorrow, and thus she has a $99 \%$ chance of seeing Bob see the sun rise tomorrow, will Bob's actual chance of seeing the sun rise be $99 \%$ ?

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Theorem: As long as $\mathbf{B}$ keeps accumulating data without (much) forgetting, $\left|\mathbf{P}_{1 \mathrm{st}}\left(y \mid x_{1}, \ldots, x_{n}\right)-\mathbf{P}_{3 \mathrm{rd}}\left(y \mid x_{1}, \ldots, x_{n}\right)\right| \xrightarrow{n \rightarrow \infty} 0$, so the answer is "yes": A-world = B-world.

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"Objective reality" as a provable statistical phenomenon.
However, if B does not hold enough data, or forgets a lot (by accident), then $\mathbf{P}_{1 \text { st }} \not 千 \mathbf{P}_{3 \text { rd }}$ is possible. "Probabilistic zombie"

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- Boring cases of $\mathbf{P}_{1 \text { st }} \not 千 \mathbf{P}_{3 \text { rd }}$

Self-patterns are just a bunch of information; need not be related to humans or guinea pigs.
In A-world, Alice can simply copy a piece of information $x$ to two places and force the two instances to evolve differently.


Then at least one of the two instances must have $\mathbf{P}_{1 \text { st }}(y \mid x) \neq \mathbf{P}_{3 \mathrm{rd}}(y \mid x)$.

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Alice runs a cellular automaton on her supercomputer for several years. Evolution kicks in, and after a long while, agents show up - including an agent called Bob who explores his cellular world and wonders about the meaning of it all. Then, suddenly, Alice intervenes in the simulation, say, by tuning its laws. Then, it is as if "Bob's self leaks out of the simulation" and becomes replaced by an unlikely changeling.


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## Outline

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... that challenge the standard view.
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... "self" fundamental, external world emergent.
3. Objective reality as a emergent approximation ... probabilistic zombies, and other surprises.
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Standard-A: Count how many BBs there are, versus how many "standard guinea pigs" on planets. If there are far more BBs, then you are probably a BB and will soon disappear."

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A: The question is meaningless. You are your self-pattern. This is unembedded structure that doesn't have a "position". In some sense, you are all BBs and planet guinea pigs at once.

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Q: "Fair enough... but what happens to me next? Business as usual on Earth, or a strange BB experience?"

A: This is a meaningful question! You have to compare the universal probabilities $\mathbf{P}\left(y_{\mathrm{BB}} \mid x\right)$ versus $\mathbf{P}\left(y_{\text {Earth }} \mid x\right)$. Note: $\mathbf{P}(y \mid x)$ is larger if $y$ is more compressible, given $x$. Thus $\mathbf{P}\left(y_{\text {Earth }} \mid x\right) \gg \mathbf{P}\left(y_{\mathrm{BB}} \mid x\right)$. Business as usual will prevail, no matter how many BBs exist.

- Conceptual puzzles and Quantum Theory motivate information-theoretic "idealist" approach.
- Have shown an (incomplete toy) theory of this kind, based on universal probability / algorithmic information theory.
- Predictions: agents see a simple, computable, probabilistic external world; objective reality as an excellent approximation.
- Potential to dissolve several relevant conceptual enigmas, surprising new phenomena like "probabilistic zombies".
> M. P. Müller, Quantum 4, 301 (2020) Nontechnical paper in 2023 (hopefully).

